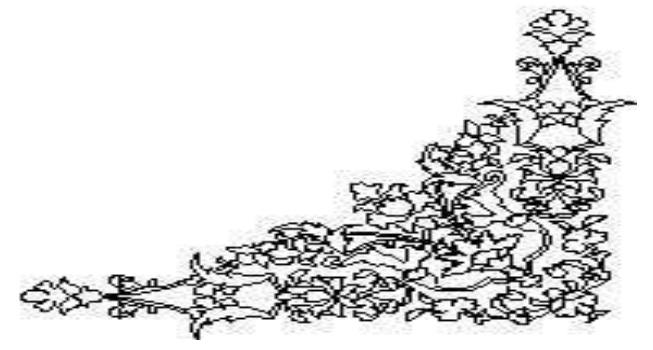
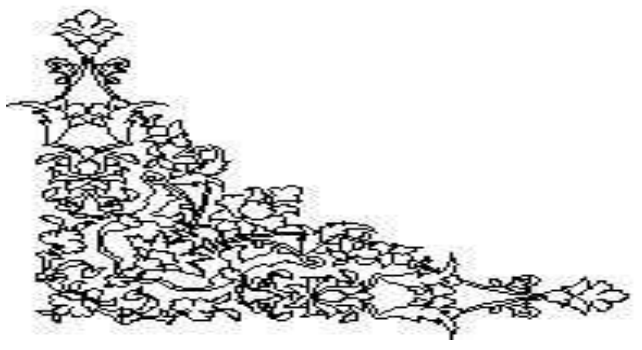


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فناسیون ماشینهای ابزار

تهیه کنندگان:

مرتضی بشنیجی - حمید شایسته

استاد گرامی:

آقای دکتر جهان پور

بهمن ۸۵

فہرست:

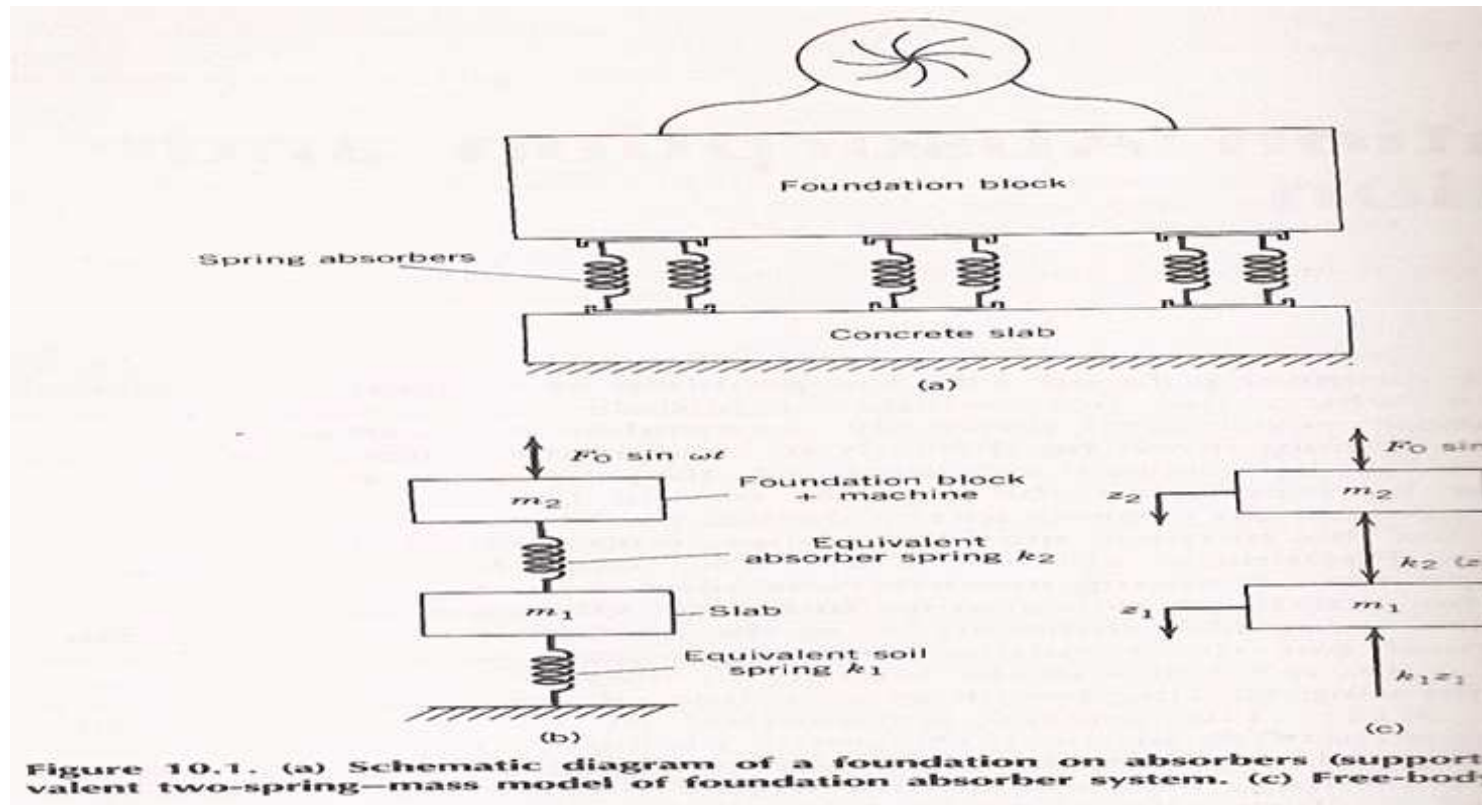
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Chapter 1 :

*Vibration absorption
and isolation*

مقدمه اي از ضربه گیرهاي ارتعاشي:

- دیاگرام شماتیک ضربه گیر فنداسیون (دیاگرام آزاد سیستم جرم و فنر دابل ضربه گیر فنداسیون):



$$m_1 z_1'' + k_1 z_1 + k_2 (z_1 - z_2) = 0$$

$$m_2 z_2'' + k_2 (z_2 - z_1) = F_0 \sin \omega t$$

$$k_1 = k_2 = \frac{4Gr_0}{1-\nu}$$

and k_2 is the total equivalent stiffness of all springs in the system. The frequency equation for the system is (Section 2.13)

$$\omega_n^4 - (\omega_{nl1}^2 + \omega_{nl2}^2)(1 + \mu)\omega_n^2 + (1 + \mu)\omega_{nl1}^2\omega_{nl2}^2 = 0$$

in which $\omega_{n1,2}$ are the natural frequencies of the system, and

$$\mu = \frac{m_2}{m_1}$$

ω_{nl1} is the limiting natural frequency of the entire system (when no absorbers are used) and is given by

$$\omega_{nl1} = \sqrt{\frac{k_1}{m_1 + m_2}}$$

and ω_{nl2} is the limiting natural frequency of the mass m_2 resting on the absorbers and calculated on the assumption that the system below the absorbers is rigid. ω_{nl2} is given by

$$\omega_{nl2} = \sqrt{\frac{k_2}{m_2}}$$

The maximum amplitudes Z_1 and Z_2 are given by

$$Z_1 = \frac{\omega_{nl2}^2}{m_1 \Delta(\omega^2)} F_0$$

$$Z_2 = \frac{(1 + \mu)\omega_{nl1}^2 + \mu\omega_{nl2}^2 - \omega^2}{m_2 \Delta(\omega^2)} F_0$$

in which

$$\Delta(\omega^2) = [\omega^4 - (1 + \mu)(\omega_{nl1}^2 + \omega_{nl2}^2)\omega^2 + (1 + \mu)\omega_{nl1}^2\omega_{nl2}^2]$$

$$Z_1 = \frac{S}{m_1} \frac{r_2^3}{[1 - (1 + \mu)(r_1^2 + r_2^2 - r_1^2 r_2^2)]} \quad (10.2)$$

$$r_1 = \frac{\omega_{nl1}}{\omega}, \quad r_2 = \frac{\omega_{nl2}}{\omega} \quad (10.3)$$

When no absorbers are used, the amplitude of vibration of the entire system resting on soil is given by

$$Z = \frac{F_0}{(m_1 + m_2)(\omega_{nl1}^2 - \omega^2)} \quad (10.4a)$$

$$Z = \frac{S}{m_1(1 + \mu)(r_1^2 - 1)} \quad (10.4b)$$

$$\eta = \frac{Z}{Z_1} = \frac{[1 - (1 + \mu)(r_1^2 + r_2^2 - r_1^2 r_2^2)]}{r_2^2[(1 + \mu)(r_1^2 - 1)]}$$

10.2 ضربه گیرهای نوسانی معمولی:

- موادی که تحت تغییر شکل الاستیک و ارتجاعی قرار می گیرند را می توان به عنوان جاذب و ضربه گیر به کار برد و معمولاً ضربه گیرهای نوسانی به کار رفته عبارتند از:
- ۱- فنرهای فلزی یا فولادی
- ۲- چوب پنبه
- ۳- لایه های لاستیکی
- ۴- لایه های چوبی
- ۵- نئوپرین
- ۶- ضربه گیرهای پنوماتیکی

10.2.1 فنرهای فلزی یا فولادی:

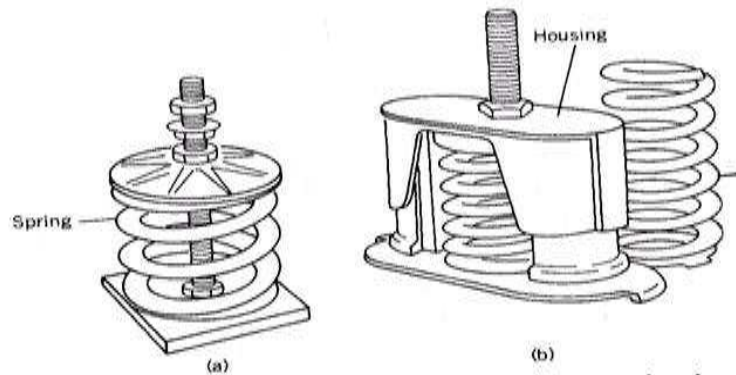
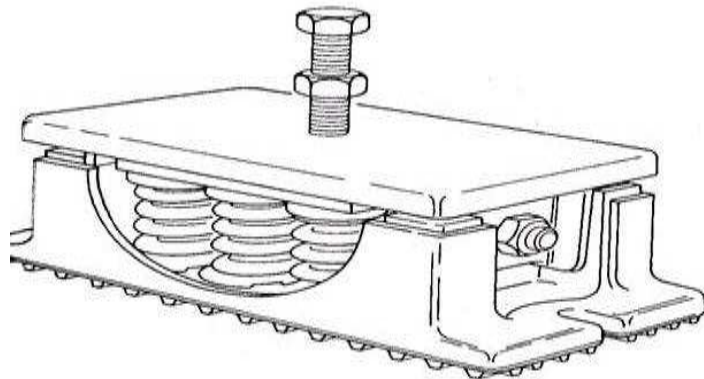


Figure 10.2. Spring absorber having only one spring: (a) without housing; (Courtesy Korfund, Inc. 1986.)

MULTIPLE SPRING ABSORBERS



Multiple spring absorber assembly. (Courtesy Korfund, Inc. 1986.)

- فنرهای پیچشی ساخته شده از فولاد خاصیت الاستیکی زیادی دارند و میزان نوسان در دستگاه را تا حد زیادی کاهش می دهد این نوع از جاذب ها در شکل نشان داده شده اند.

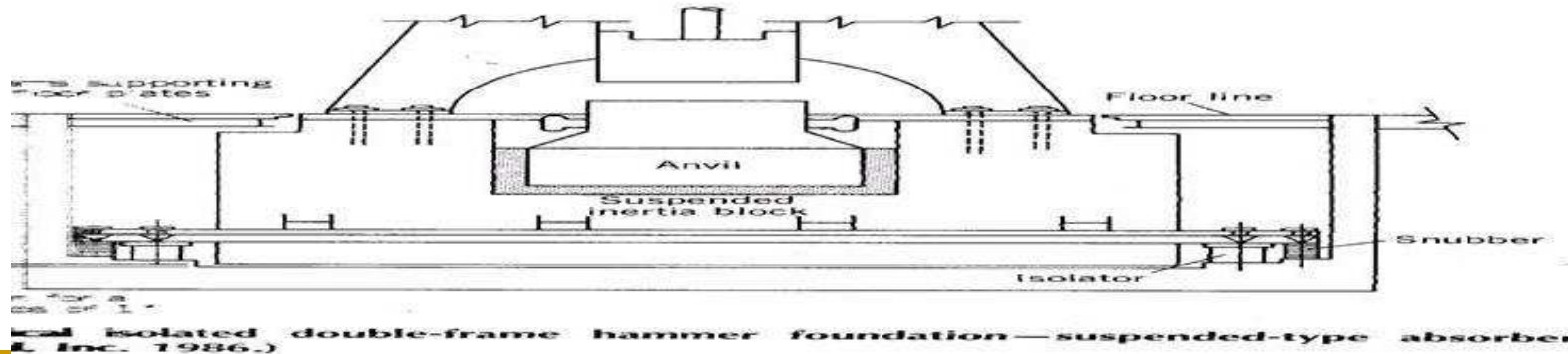
- این نوع از ضربه گیرهای فنری تنها برای دستگاه های با ظرفیت پایین به کار می روند. برای دستگاه هایی با ظرفیت متوسط از ضربه گیر هایی با چندین واحد فنری استفاده می شود.

- که دو ترتیب و چیدمان در تعبیه ضربه گیرهای فنری هستند.

نوع محافظي که در اين طرح فنرها دقيقا در زير دستگاه و يا در پايه دستگاه قرار مي گيرند.

انتخاب هر نوع بستگي به بالانس و سرعت عملکردي آن دارد. براي دستگاههاي با سرعت بالا آنها در تعادل و توازن هستند نوع محافظتي در مورد جرم هاي زياد به کار مي رود. در دستگاه با جرم بالا از ضربه گيرهاي نوع تعلیقي استفاده مي شود.

ضربه گيرهاي فنري از نظر صنعتي در ظرفيت هاي مختلفي در دستري هستند اطلاعاتي در مورد ويژگي انحراف و انحناي بار توسط سازندگان اين نوع ضربه گير در اختيار مصرف کننده قرار مي گيرد.



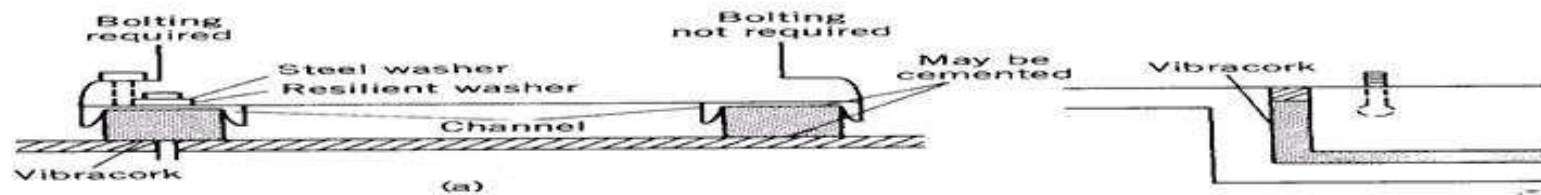
10.2.2 چوب پنبه:

چوب پنبه طبیعی یکی از بهترین ضربه گیرهای نوسان و نویز است که دارای حداقل وزن و حداکثر تراکم پذیری است و قادر است تراکم و چگالی زیادی را تحمل کند.

لایه های چوب پنبه ای در زیر پایه و در فنداسیون دستگاه قرار می گیرند. روغن و آب باعث سریع خراب شدن چوب پنبه می شود.

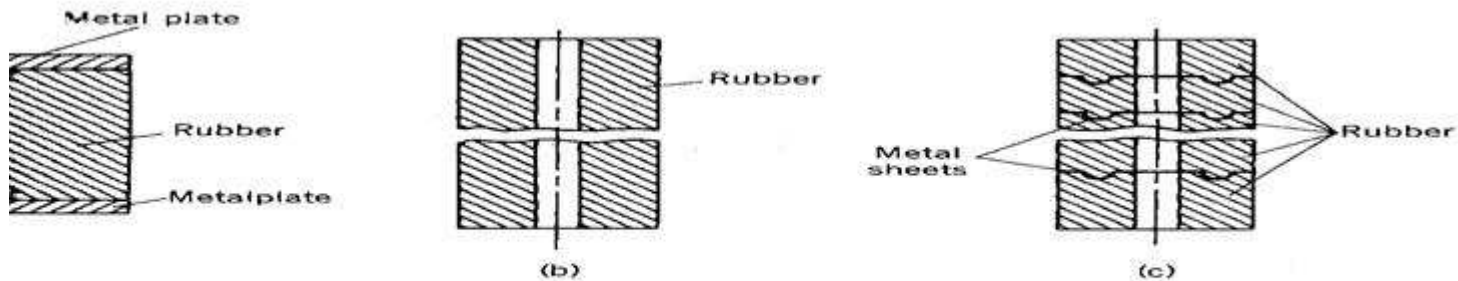
10.2.2 Cork

Natural cork is one of the best vibration and noise absorbers. It has a low unit weight, high compressibility, and is impermeable.



10.2.2 لایه های لاستیکی:

- مواد لاستیکی يك ضربه گیر نوسانی عالی را فراهم می کنند به این علت که این لایه های ارتجاعی و فنری از لاستیک ساخته شده اند برای این هدف می توانند استفاده شوند.



loaded rubber pads: (a) rubber spring bonded between two metal plates; (b) in the form of hollow cylinder; (c) rubber spring in the form of hollow cylinders

10.2.4 چوب :

- لایه ها و صفحه های چوبی معمولا در زیر سطح اتکایی چکش استفاده می شوند. لایه های تک و با چند لایه از چوب سخت (نظیر چوب بلوط، نارون) به این منظور به کار می روند.

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VIBRATION ABSORPTION AND I



(a)



(b)

Figure 10.7. Timber pads with multiple layers: (a) two layers; (b) three layers

۱۰.۲.۵ نئوپرین:

■ لایه های نئوپرین و یا چوب پنبه های صنعتی بسیار مقاومند. این لایه ها در اندازه ها و وزنهای مختلف در دسترس هستند.

۱۰.۲.۶ ضربه گیرهای پنوماتیکی:

ضربه گیرهای پنوماتیکی از گاز یا هوا به عنوان یک ماده ارتجاعی استفاده می کنند.

فهرتهای پنوماتیکی بر اساس قانون تراکم آدیاباتیک کار می کنند. شمایی از یک سیستم سیلندر پیستون به همراه روابط ترمودینامیکی آن در صفحه بعد قابل مشاهده است.

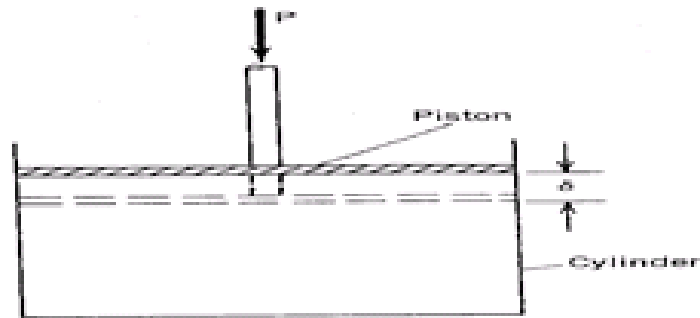


Figure 10.8. Principle of a pneumatic absorber.

ELASTICITY ABSORBERS

and let δ be the downward movement of the piston. If the area of the piston is A , then the new pressure p_2 is given by P/A . According to

$$p_2 V_2^n = p_1 V_1^n \quad (10.6)$$

where n is an index. Also,

$$V_2 = V_1 - \delta A$$

$$\frac{P}{A} (V_1 - \delta A)^n = p_1 V_1^n \quad (10.7a)$$

$$P = p_1 A \left(\frac{1}{1 - \left(\frac{A}{V_1}\right) \delta} \right)^n \quad (10.7b)$$

If we differentiate Eq. (10.7b) with respect to δ , we get

$$k = \frac{dP}{d\delta} = \frac{n p_1 A^2}{V_1} \left(\frac{1}{1 - \left(\frac{A}{V_1}\right) \delta} \right)^{n+1}$$

If the change in volume is small, then the above expression becomes:

$$k = \frac{n p_1 A^2}{V_1} \quad (10.8)$$

and let δ be the downward movement of the piston. If the area is A , then the new pressure p_2 is given by P/A . According to

$$p_2 V_2^n = p_1 V_1^n \tag{10.6}$$

is an index. Also,

$$V_2 = V_1 - \delta A$$

$$\frac{P}{A} (V_1 - \delta A)^n = p_1 V_1^n \tag{10.7a}$$

$$P = p_1 A \left(\frac{1}{1 - \left(\frac{A}{V_1}\right)\delta} \right)^n \tag{10.7b}$$

Eq. (10.7b) with respect to δ , we get

$$k = \frac{dP}{d\delta} = \frac{np_1 A^2}{V_1} \left(\frac{1}{1 - \left(\frac{A}{V_1}\right)\delta} \right)^{n+1}$$

in volume is small, then the above expression becomes:

$$k = \frac{np_1 A^2}{V_1} \tag{10.8}$$

ic springs may be the single- or double-acting type (Harris and Pneumatic springs can be made to provide damping as well. porting area may vary with deflection. Pneumatic springs are available in different shapes and capacities. A typical convoluted known as "Airmount" manufactured by Firestone, Inc., is shown in Fig. 10.9. The performance characteristics of the pneumatic absorbers applied by the manufacturers and must be ascertained before using such systems. If the loads are heavy and the required natural frequency of the system is low, the static deflection in the usual (spring or pad) type of absorber will be large. However, in pneumatic absorbers, the static deflection is controlled by adjusting the air or gas pressure to support the load, thus maintaining the low stiffness necessary. Baxa and Ebisch (1982)

محاسبه میزان ضریب جذب η :

$$\eta = \frac{Z}{Z_1}$$

■ Z_1 میزان دامنه نوسانات ضربه گیر فنداسیون است

تعیین نسبت فرکانس r_2 :

که $\omega_{n/2}$ فرکانس طبیعی ضربه گیر فنداسیون است.

$$\eta = \frac{Z}{Z_1} = \frac{[1 - (1 + \mu)(r_1^2 + r_2^2 - r_1^2 r_2^2)]}{r_2^2 [(1 + \mu)(r_1^2 - 1)]}$$

$$\omega_{n/2} = \sqrt{\frac{k_2}{m_2}}$$

تعیین $\omega_{n/2}$:

$$r_2^2 = \frac{\omega_{n/2}^2}{\omega^2}$$

$$\omega_{n/2}^2 = r_2^2 \omega^2$$

تعیین سختی عمودی کل ضربه گیر:

$$k_2 = m_2 \omega_{nl2}^2$$

انتخاب نوع ضربه گیر:

یک ضربه گیر می تواند براحتی توسط کاتالوگهای داده شده شرکت سازنده که درباره بارگذاری و تغییر شکل ضربه گیر است، به طور اقتصادی انتخاب شود.

پیدا کردن دامنه نوسان سیستم بالا (Z2):

$$Z_2 = \frac{(1 + \mu) \omega_{nl1}^2 + \mu \omega_{nl2}^2 - \omega^2}{m_2 \Delta(\omega^2)} F_0$$

$$\Delta(\omega^2) = \omega^4 - (1 + \mu)(\omega_{nl1}^2 + \omega_{nl2}^2)\omega^2 + (1 + \mu)\omega_1^2$$

بار موثر بر روی هر فنر:

$$P_a = kZ_2$$

10-6 روشهاي کاهش ميزان نوسان و ارتعاش موجود در فنداسيون دستگاه:

- ارتعاش و نوسانات اضافي در پايه دستگاه گاهي اوقات پس از نصب دستگاه و پس از عدم تعادل بارها که در نتیجه فرسایش و پارگي قطعات دستگاه مي باشد اتفاق مي افتد.
- اين ارتعاش و نوسانات را مي توان از طريق انتخاب مناسب در اندازه گيريهاي مورد نظر کاهش داد.
- تاکيد مي شود که قبل از انجام هر کاري بايد علت اين ارتعاشات و نوسانات اضافي را بررسي کرد.
- انتخاب نادرست در اندازه هاي ابعاد بار بجاي بهتر کردن وضعيت باعث بدتر شدن آن مي شود.

مندهاي به كار رفته عبارتند از:

■ ۱- متوازن كردن بارهاي نامتعادل

■ ۲- تثبيت شيميايي خاك

■ ۳- ابعاد ساختاري

■ ۴- تامين دمپر هاي ارتعاشي

some optimum value of damping. Dampers for foundations undergoing or sliding vibrations can be designed similarly.

EXAMPLES

EXAMPLE 10.7.1

Design a foundation for a reciprocating machine operating at a speed of 750 rpm. The weight of the machine is 2.0 t and it produces a sinusoidally unbalanced force of 0.5 t in the vertical direction. Due to limited space, the area of the foundation should not exceed $3 \text{ m} \times 2 \text{ m}$. The presence of precision machines in the vicinity, the vibration amplitude should be less than 0.025 mm. Assume the dynamic shear modulus of soil $G = 1950 \text{ t/m}^2$ and $\nu = 0.305$. Unit weight of concrete γ_c may be taken as 2.4 t/m^3 .

Design Data

Weight of the machine = 2.0 t
 Operating speed = 750 rpm = 78.53 rad/sec
 Vertical unbalanced force $P_z = 0.5 \text{ t}$
 Dynamic shear modulus $G = 1950 \text{ t/m}^2$
 Poisson's ratio for the soil = 0.305
 Permissible amplitude of vibration = 0.025 mm

First Trial

Permissible amplitude of foundation vibrations is only 0.025 mm. Considering the limitation of $3 \text{ m} \times 2 \text{ m}$ on the foundation area, it will not be possible to design a simple block foundation satisfying the criteria for design. The amplitude of vertical vibrations is 0.2024 mm as determined subsequently. A foundation resting on absorbers must be designed.

Second Trial

Design a foundation area of $3 \text{ m} \times 2 \text{ m}$. Let the size of the foundation resting on an absorber (Fig. 10.1a) be $3 \text{ m} \times 2 \text{ m} \times 0.3 \text{ m}$ and the size of the foundation block above the absorber be $3 \text{ m} \times 2 \text{ m} \times 1 \text{ m}$.

Weight of foundation block below the absorber = W_1
 $3 \times 2 \times 0.3 \times 2.4 = 4.32 \text{ t}$
 Mass $m_1 = \frac{4.32}{9.81} = 0.4403 \text{ t sec}^2/\text{m}$
 Weight of foundation block above the absorber $W_2 = 3 \times 2 \times 1 \times 2.4 = 14.4 \text{ t}$

Total weight above the absorber = $14.4 + 2 = 16.4 \text{ t}$

$$\text{Mass } m_2 = \frac{16.4}{9.81} = 1.6717 \text{ t sec}^2/\text{m}$$

$$\text{Ratio of masses } \mu = \frac{m_2}{m_1} = \frac{1.6717}{0.4403} = 3.796$$

4. *Stiffness of Soil Spring below the Base* k_1
Equivalent radius r_0

$$r_0 = \sqrt{\frac{6}{\pi}} = 1.382 \text{ m}$$

$$k_1 = k_z = \frac{4 \times 1950 \times 1.382}{(1 - 0.305)} = 15510 \text{ t/m}$$

5. *Limiting Natural Frequency of the Whole System Res*

$$\omega_{nl1} = \sqrt{\frac{k_1}{m_1 + m_2}}$$

$$\omega_{nl1} = \sqrt{\frac{15510}{0.443 + 1.6717}} = 85.69 \text{ rad/sec}$$

6. *Frequency Ratio* r_1

$$r_1 = \frac{\omega_{nl1}}{\omega} = \frac{85.69}{78.53} = 1.0911$$

7. *Amplitude of the System Resting on Soil (No Absorber)*

$$\begin{aligned} Z &= \frac{F_0}{(m_1 + m_2)(\omega_{nl1}^2 - \omega^2)} \\ &= \frac{0.5}{(0.4407 + 1.6716)(85.69^2 - 78.53^2)} \\ &= 0.0002024 \text{ m} = 0.2024 \text{ mm} \end{aligned}$$

8. *Degree of Absorption*

$$\eta = \frac{Z}{Z_1}$$

$$\eta = \frac{0.2024}{0.025} = 8.096$$

Adopt $\eta = -10$ for the design

9. *Frequency Ratio* r_2 , i.e., ω_{nl2}/ω

$$\eta = \frac{[1 - (1 + \mu)(r_1^2 + r_2^2 - r_1^2 r_2^2)]}{r_2^2 [(1 + \mu)(r_1^2 - 1)]}$$

$$r_2^2 = \frac{1 - (1 + \mu)r_1^2}{(1 + \mu)(\eta - 1)(r_1^2 - 1)}$$

$$\frac{r_2}{r_1} = \frac{1 - (1 + 3.796)(1.0906)^2}{(1 + 3.796)(-10 - 1)(1.0906^2 - 1)} = 0.4706$$

Amplitude of ω_{nl2}^2

$$r_2^2 = \frac{\omega_{nl2}^2}{\omega^2}$$

$$\omega_{nl2}^2 = (0.4706)(78.53)^2 / \text{sec}^2$$

$$\omega_{nl2} = 53.87 \text{ rad/sec}$$

Stiffness of the Absorber k_2

$$k_2 = m_2 \omega_{nl2}^2 \quad (2.98b)$$

$$= (1.6717)(0.4706)(78.53)^2 = 4851 \text{ t/m}$$

k_2 is the total stiffness of the absorber system. Use eight absorbers each having a stiffness of 600 t/m. The actual value of $k_2 = 1.6717 \times 600 = 1003.02 \text{ t/m}$. The value of ω_{nl2} is assumed to be 53.58 rad/sec. The value of k_2 is assumed to be 4851 t/m since pertinent data is not supplied.

Amplitude of Vibration of the System above the Absorber Z_2

$$Z_2 = \frac{(1 + \mu)\omega_{nl1}^2 + \mu\omega_{nl2}^2 - \omega^2}{m_2 \Delta(\omega^2)} F_0 \quad (2.109)$$

$$Z_2 = \frac{78.53^2 - (1 + 3.796)(85.65^2 + 3.796(53.58)^2 - 78.53^2)}{(1.6717)(2.20 \times 10^8)} \quad (2.104)$$

$$\Delta(\omega^2) = 2.200 \times 10^8$$

$$Z_2 = \frac{(1 + 3.796)(85.65)^2 + 3.796(53.58)^2 - 78.53^2}{(1.6717)(2.20 \times 10^8)} \quad (0.5)$$

$$Z_2 = 0.000053 \text{ m} = 0.054 \text{ mm}$$

Dynamic load on each absorber = $0.000053 \times 600 = 0.0324 \text{ t}$

The amplitude Z_2 is calculated to check the stresses in the absorber material. The amplitude Z_1 has been restricted to a value less than the value of 0.025 mm. The value of Z_1 may be calculated using

$$\begin{aligned}
 Z_1 &= \frac{\omega_{nl2}^2}{m_1 \Delta(\omega^2)} F_0 \\
 &= \frac{(53.58)^2}{(0.4403)(2.20 \times 10^8)} (0.5) = 0.0000148 \text{ m} \\
 &= 0.0148 \text{ mm} \\
 &< 0.025 \text{ mm}
 \end{aligned}$$

EXAMPLE 10.7.2

A compressor having an operating speed of 1200 rpm was industrial unit. Two precision machines were added to the plant. It was felt necessary to protect these precision machines from vibrations due to operation of the compressor. The location of the compressor (C_1) and precision machines (P_1 and P_2) are shown in Figure 10.20.

Design an open trench barrier to provide effective vibration isolation in the cases of (a) active and (b) passive isolation. The velocity was determined at the site by cross bore hole method and found to be 150 m/sec.

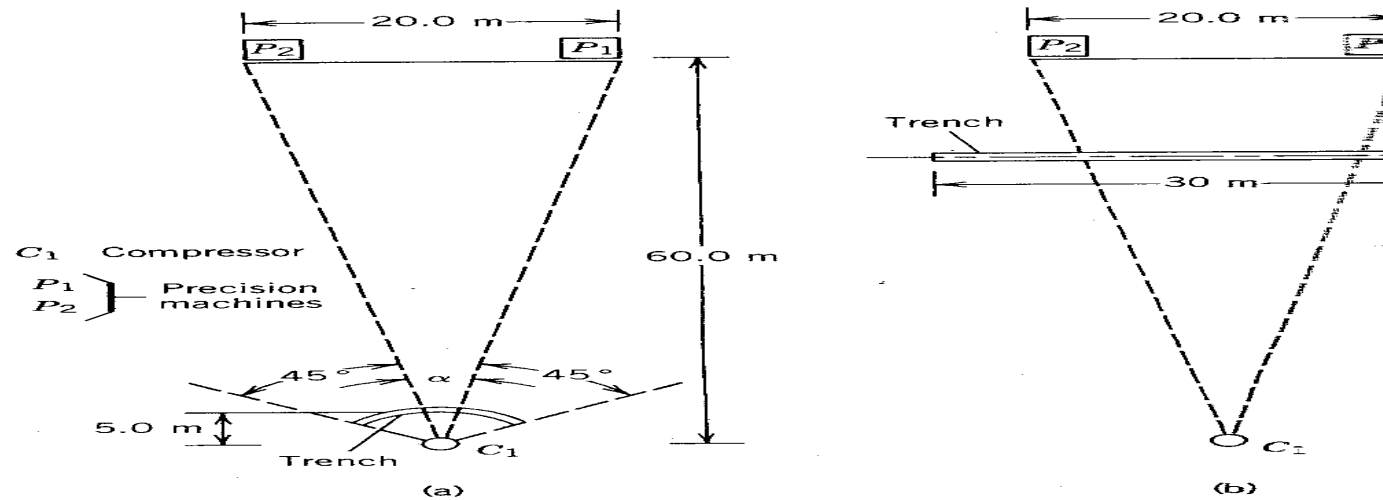


Figure 10.20. Layout of compressor and precision machines in the industrial unit (Example 10.7.2). (a) Active isolation; (b) passive isolation.

Chapter 2 :

Construction of machine foundations

CONSTRUCTION ASPECTS OF BLOCK FOUNDATIONS

Fig.

The selection of the aggregates and proportioning of concrete mix should be made according to specifications laid down in ACI 301 (American Concrete Institute, 1975) or similar prevalent codes dealing with use of concrete for general building construction.

The ultimate compressive strength of concrete should be in accordance with criteria set forth in ACI 318-83 (American Concrete Institute, 1983). If no information is available, the ultimate strength of concrete should not be less than 150 kg/cm^2 or 2.2 ksi.

The concreting should be done in horizontal lifts. The first pour should be in a 300-mm (12-in) layer and subsequent pours in 400-mm (16-in)

lifts. The height of the pour should be as low as possible, and one must ensure that the concrete does not segregate.

The foundation should be concreted in a single pour to avoid cold joints. If it is necessary to have a time gap between two successive pours, the gap should be short and should not exceed 30 min.

Because of practical difficulties, sometimes a single pour may not be possible, and a cold joint becomes unavoidable. In this case, it should be treated as a construction joint and its location chosen with care. The integrity of the structure at this construction joint should be ensured by providing a suitable number of dowels and shear keys through the joint, and by careful control and supervision during the operation. The dowels should be large enough to assure a full capacity bond. Their length beyond the joint should be 4.0 diameters or 12 in, whichever is more. The dowels may be using #5 or #6 bars.

To obtain an adequate joint in mass concrete construction, such as in a foundation wall, one must provide shear connectors (U-bars) at the level of the joint. A strong bond between old and new concrete can be made by roughing or honeycombing the upper surface of the old concrete. The surface should be cleaned with a hard wire brush and then covered with a thin layer of cement grout before the new concrete is poured. For guidelines for forming a proper joint, one should follow those given in building codes or ACI 318-83 (American Concrete Institute, 1983).

Provision should be taken to avoid bulging of the concrete at offsets by using suitably designed form work.

The areas around openings and pockets should be concreted with care. The foundation should be properly cured. Improper curing may lead to shrinkage cracks, which may widen after the machine is in operation.

Reinforcement

Reinforcement for a Foundation Block. Massive block foundations do not have the same structural requirements as beams or columns. They are provided with only minimal reinforcement to take care of temperature and shrinkage effects. According to ACI 318 (American Concrete Institute, 1983), the minimum steel reinforcement† should be approximately 0.0018 times the gross concrete area in each direction. The steel should be spaced no farther than 18 in center to center. The minimum concrete cover for protection of reinforcement should be 75 mm (3 in) at the bottom and 50 mm (2 in) on the sides and tops. Details for a typical foundation, which was provided to support a compressor unit of 1000-hp capacity, are shown in Figure 14.1a, and b.

The reinforcement details for the foundation block of an impact hammer are similar to those discussed above except for the top portion below the anvil where additional reinforcing bars are required to resist stresses occasioned by impact. The spacing of the bars in this block is usually kept on 100-mm (4-in) centers. Typical reinforcement details for a hammer foundation are shown in Figure 14.2a and b.

Reinforcement around Openings and Cavities. A steel reinforcement cage equal to 0.5 to 0.75 percent of a cross-sectional area of an opening should be installed around all such features. This must be provided in the form of a cage. In the case of circular openings, the reinforcement should overlap for a length equal to 40 times the bar diameter or shall be lapped 300 mm (12 in) beyond the point of intersection. Typical reinforcement details around a circular opening are shown in Figure 14.3.

14.2 CONSTRUCTION ASPECTS OF FRAME FOUNDATIONS

Concreting

The construction of a frame foundation involves the concrete base slab, columns, and deck slab. The concrete mix should be designed to ensure the strength required by the design. This can be done by following the recommendations of ACI 301 (American Concrete Institute) and other relevant building codes. In contrast to the construction of block foundations, flexural strength is a very important factor in the construction of frame foundations and should receive the utmost consideration.

Concreting the Base Slab. The base slab is usually concreted in a continuous pour in the same manner as for a block foundation.

† For grade 60 steel bars.

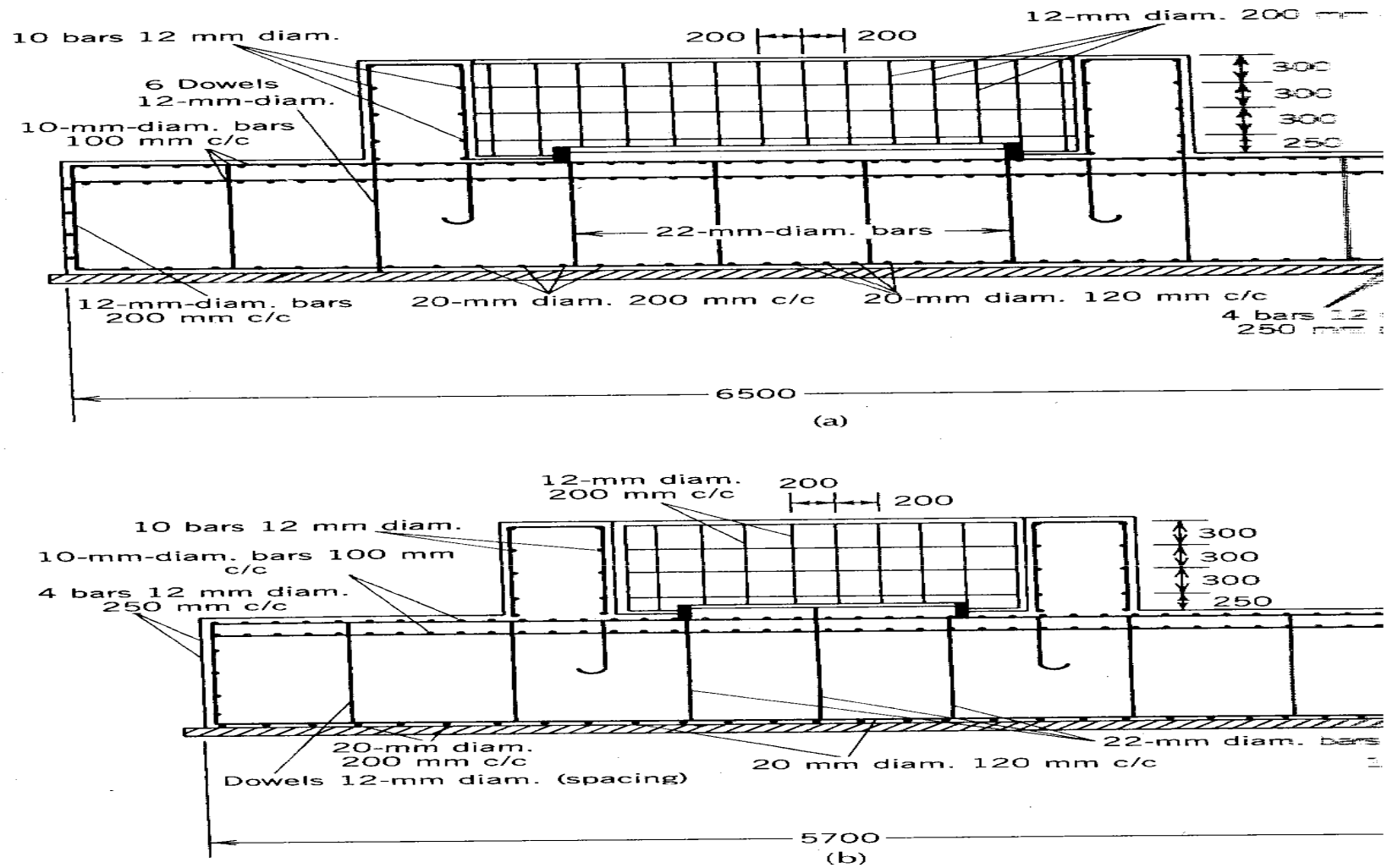
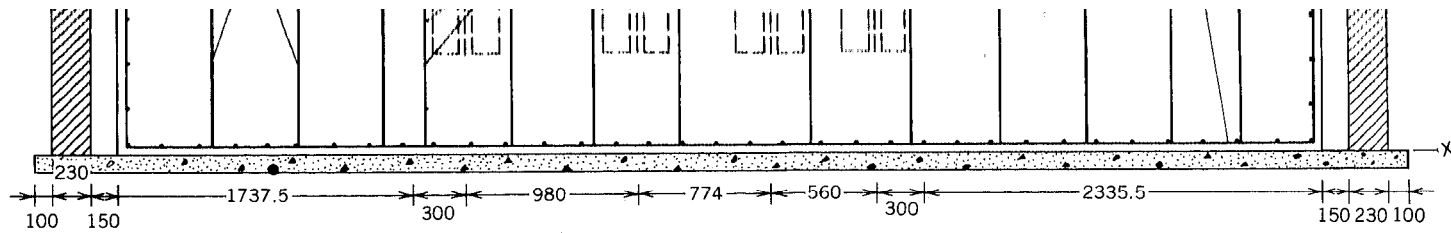
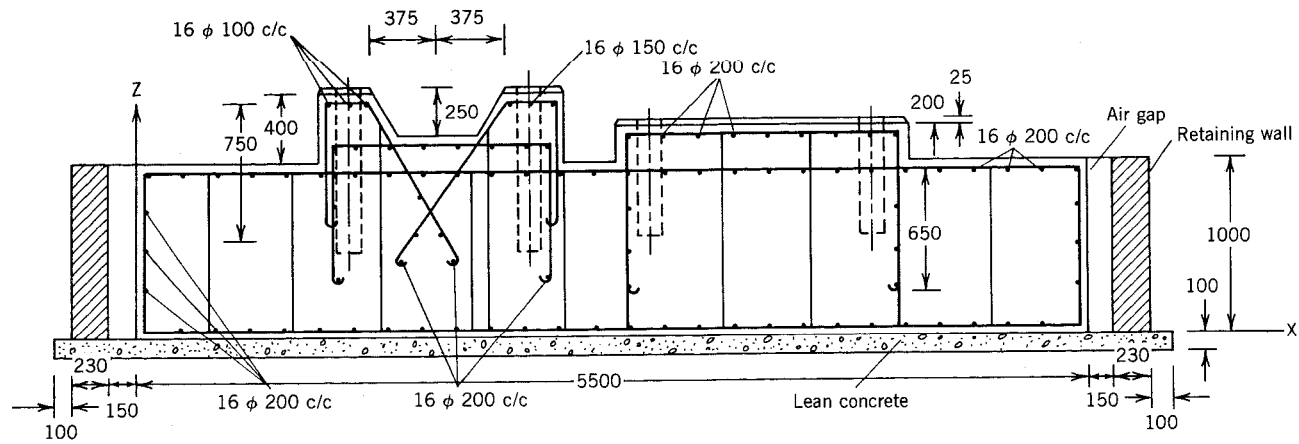


Figure 14.2. (a) Reinforcement details for a hammer foundation: (a) longitudinal cross section. (After Prakash and Gupta, 1970.)



Longitudinal section

(a)



Transverse section

(b)

Figure 14.1. Typical reinforcement details of a concrete block: (a) Longitudinal section; (b) Transverse section. (All dimensions are in mm.)

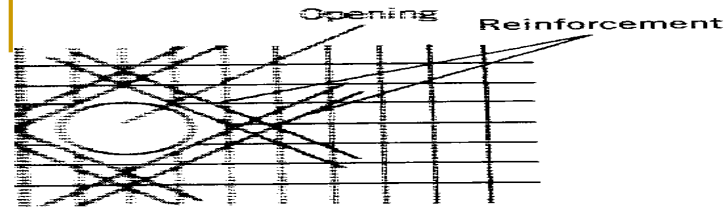
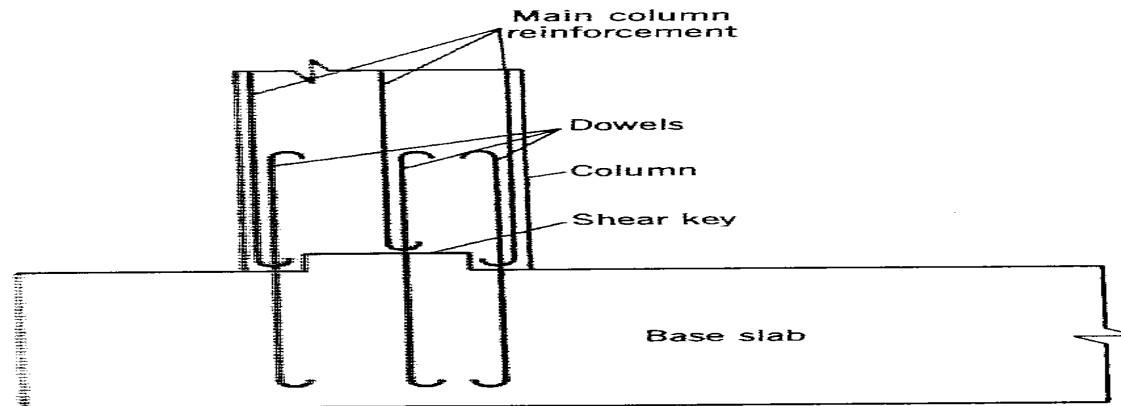


Figure 14.3. Typical reinforcement details around a circular opening.

casting the Columns and Deck Slab. Although the concreting of the columns, and deck slab in a single continuous pour is desirable, it is not possible from a practical standpoint. As a result, a construction joint is formed between the columns and the base slab. Details of a construction joint formed between the columns and the base slab are shown in Fig. 14.4. The concreting of the columns and the deck slab is then completed in one pour with the necessary precautions being taken to ensure the integrity of the structure. When the column heights are more than 10 ft, concreting of the superstructure in one pour may not be feasible, and it may be necessary to provide a second construction joint, but generally a construction joint is not recommended.

The provision of a construction joint in the top part of a column near the base slab is made in the construction and reduce the height of the pour, thereby reducing the chances of the concrete becoming segregated. A construction joint is a weak plane from the standpoint of shear strength, and in



14.4. Typical details of a base slab-column joint (other reinforcement details not shown)

should be insulated to a length of at least 150 mm (6 in) from the ion point to avoid any stray currents occasioned by induction.

AP AROUND THE FOUNDATION

minimize the transmission of vibrations to adjoining structures, a gap is provided around the foundation as shown in Fig. 14.1. For frame ions, a clear gap should be provided around the base as well as the deck slab. The gap around the foundation should be kept free abris. If contact of the machine foundation with an adjoining al unit is unavoidable, two layers of a resilient material such as felt used at the interface.

BONDING OF FRESH TO OLD CONCRETE

be necessary to bond fresh to old concrete to repair a defective e surface brought about through an unforeseen interruption in the ing or as a result of a defective casting or improper curing. Also, if e reason the surface after concreting is loose, it would be necessary ide a hard surface for proper machine performance. In such cases, used area should be chipped off up to 100 mm (4 in) and cleaned. eys should then be cut into the surface. The number and size of eys depend upon the extent of the surface being repaired. A m of four shear keys should be provided. The size of the shear keys be 75 × 75 × 600 mm (3 × 3 × 24 in). They should be thoroughly e. The surface so exposed, including the grooves for the shear keys, e treated with epoxy. This would consist of Araldite (100 parts), e (40 parts), and filler silica (4 parts) and be applied in three thin e. When the last coat is sticky, rich concrete mix should be poured and e. Additional steel bars 10 mm (0.375 in) in diameter may be placed e grooves for the shear keys.

process of bonding fresh concrete to old concrete is quite expensive e feasible for small areas only.

INSTALLATION OF SPRING ABSORBERS

ethods of installing spring absorbers for a machine foundation depend e type of the absorber system. There are two types of spring absorber e: the supported and the suspended type. These have been described epter 10 (Section 10.1).

ضربه گیرهای نوع محافظ:

- جرم سنگین روی فنرها مستقیماً قرار نمی‌گیرد. برای فنرهای قسمت پایه دستگاه، جرم زیاد مستقیماً روی چهارچوب فلزی قابل نصب است.
- این نظم و ترتیب برای تعادل بهتر بکار می‌رود چرا که وجود نیروهای نامتعادل خارجی باعث از بین رفتن هارمونیک و هماهنگی دستگاه می‌شود.

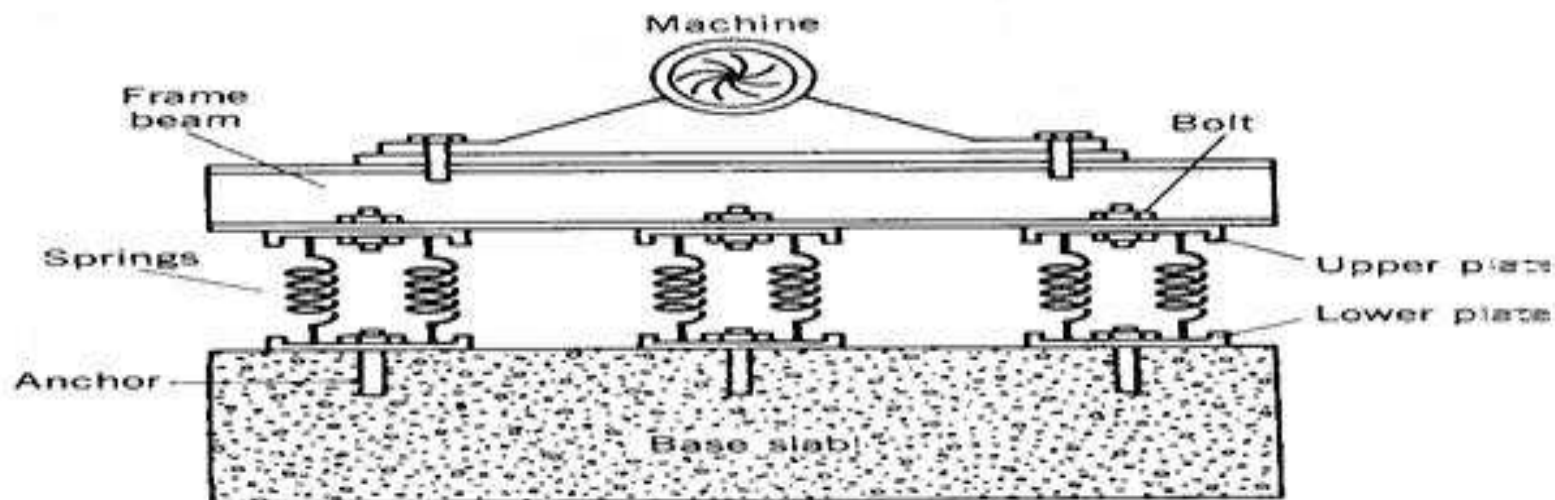


Figure 14.12. Supported-type spring absorber system with machine attached

Chapter 3 :

*foundations for
impact machines*

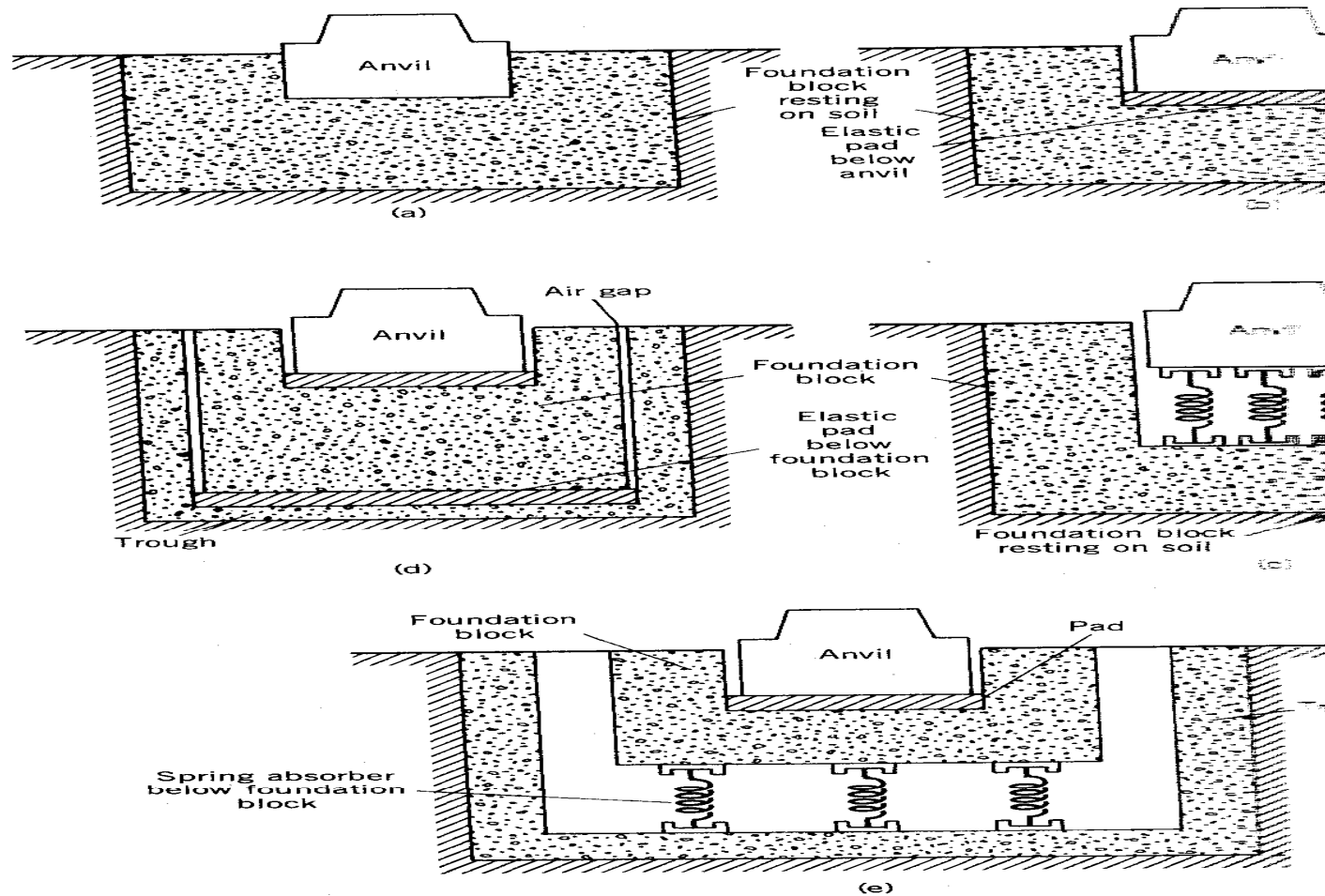
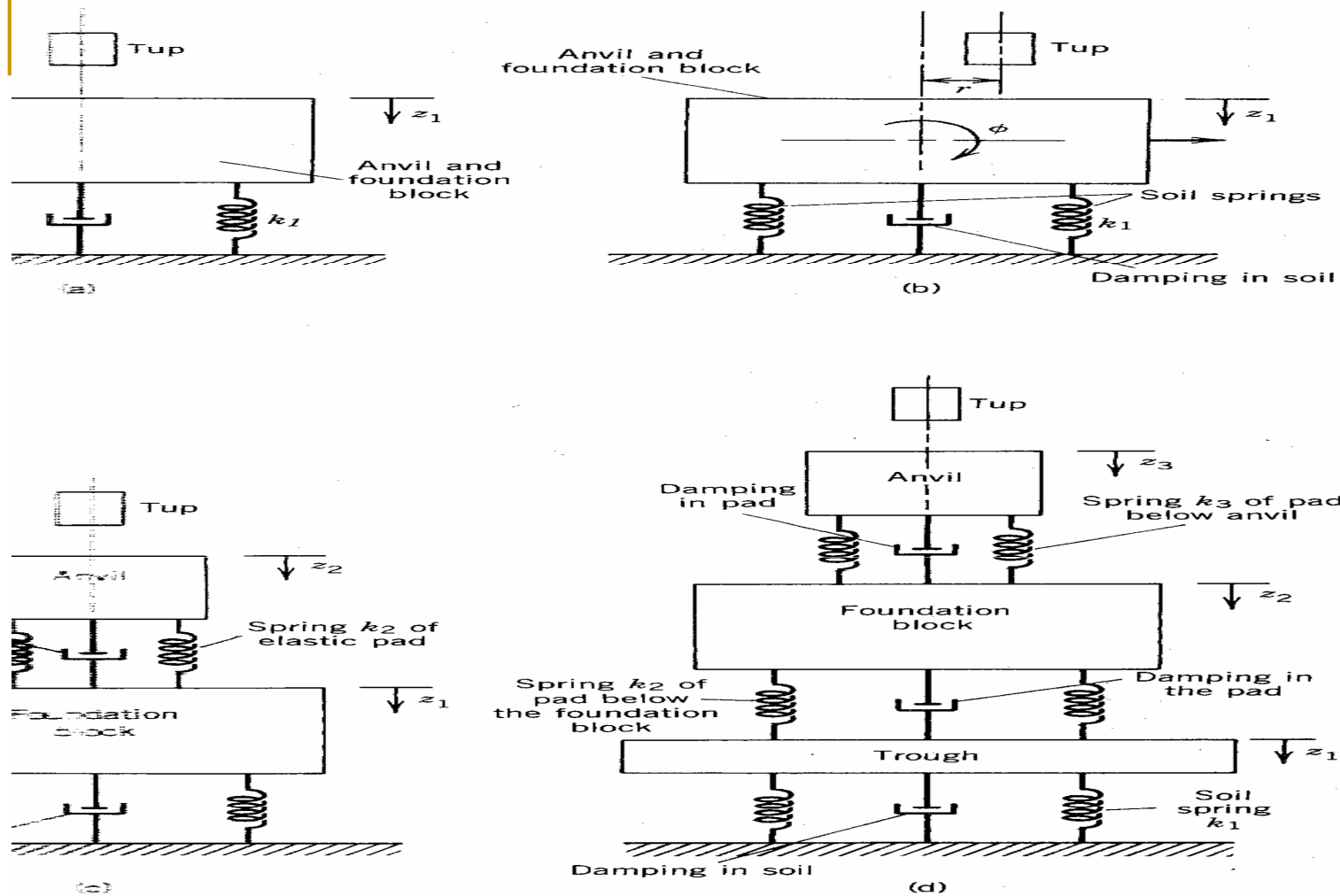


Figure 7.2. Schematic diagram showing different arrangements for foundation block: (a) anvil resting directly on the foundation block; (b) anvil on elastic pad; (c) anvil on spring absorbers; (d) foundation block on elastic pad; (e) foundation block on spring absorbers.



models for representing hammer–foundation–soil systems: (a) single-degree-central impact); (b) three-degree-of-freedom model (eccentric impact); (c) two-degree-of-freedom system (central impact); (d) three-degree-of-freedom system (central

will undergo only vertical vibrations and may be modeled as a one-degree-of-freedom system, as shown in Fig. 7.3a.

When the impact is at an eccentricity, the same system of masses will undergo not only vertical vibrations, but also rocking (rotation about a horizontal plane) and sliding (horizontal translation) and may thus be modeled as a three-degree-of-freedom system, as shown in Fig. 7.3b. For cases when the anvil rests on an elastic foundation block which rests directly on soil (Fig. 7.2b, c), the system may be modeled as shown in Fig. 7.3c. If the impact is at the center of the system of Fig. 7.3c can be analyzed as a two-degree-of-freedom system undergoing vertical translation. If the impact is at an eccentricity, the masses m_1 and m_2 (Fig. 7.3c) will have three degrees of freedom consisting of vertical translation and coupled rocking and sliding. The overall system will have six degrees of freedom. When the foundation rests on an absorber (Fig. 7.2d), the system can be modeled as shown in Fig. 7.3d and will have three degrees of freedom for central impact. When the stiffness of the trough (Fig. 7.2d) is usually very high compared to the stiffness of the pad below the foundation block, the trough may be assumed to be supported on the soil (Novak, 1983) and a two-mass model may be used for all practical purposes. The eccentricity of impact is generally controlled by suitably controlling the geometrical layout of the foundation block, the alignment of the tup and frequent maintenance, and most problems may thus be analyzed by using a two-degree-of-freedom model (Fig. 7.3c). The computations can be further simplified by making the following assumptions:

1. The anvil, foundation block, frame, and tup are rigid.
2. The pad and the soil can be simulated by equivalent springs.
3. The damping of the elastic pad and soil is neglected.
4. The time of impact is short compared to the period of the free vibrations of the system.
5. Embedment effects are neglected.

Validity of the Assumptions

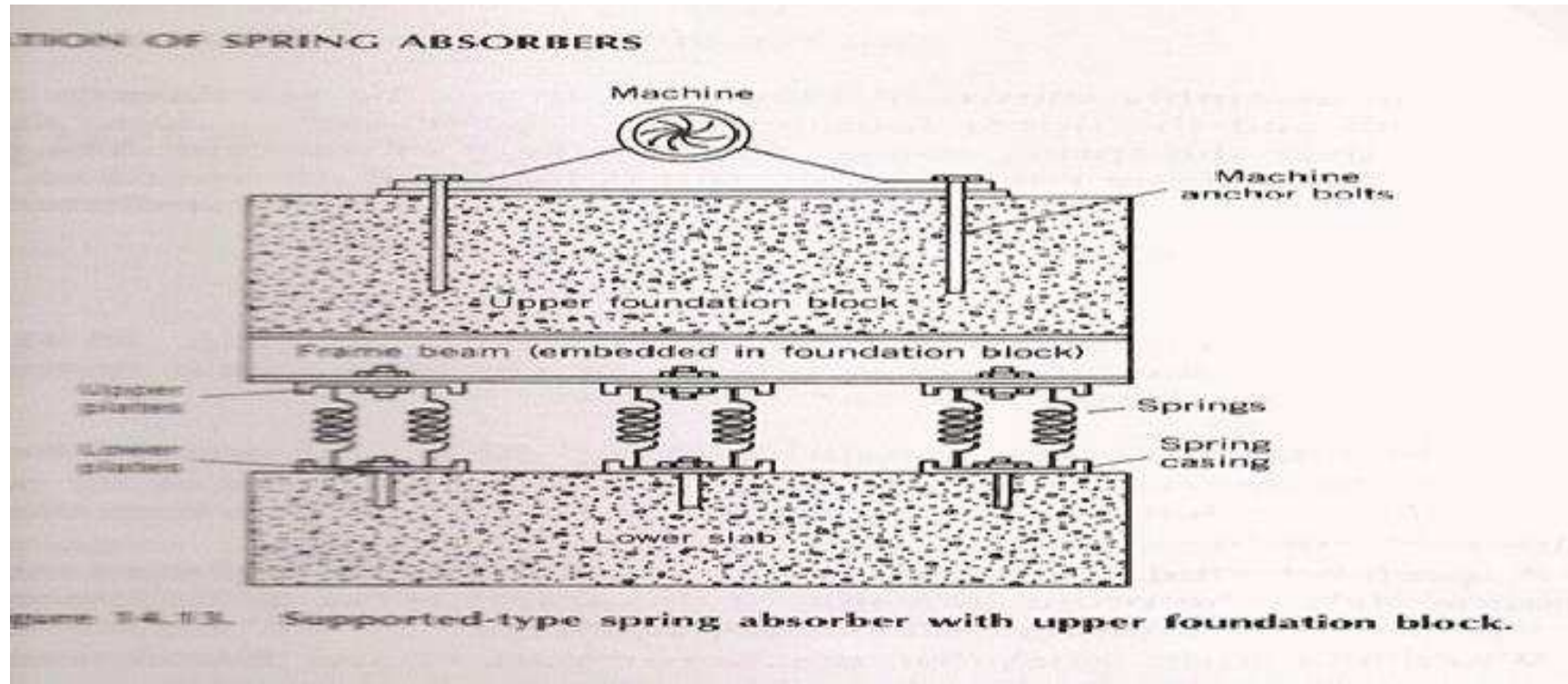
Assumption 1 about the rigidity of the anvil, foundation block, frame, and tup is practically correct. The pad material and soil can be assumed to behave elastically (assumption 2) for small amplitudes of vibration. The pad between the anvil and the foundation block becomes rigid after losing its elasticity and should be replaced after regular use. Assumption 3 about neglecting the damping in the system is not correct. The foundation block supporting the anvil will undergo vertical vibrations and a significant amount of geometrical as

اصول ایجاد چنین فنداسیونی عبارتست از:

- ۱- ساختار صفحه اصلی که مشابه با بلوک و قالب پایه است که ضخامت آن بستگی به طراحی پایه دستگاه دارد که در حدود 0.3 تا 1.2 متر است.
- ۲- قبل از نصب صفحه و قالب پایه ، پیچ های محور در موقعیت مناسب برای اتصال صفحات تحتانی ضربه گیر های فنری تنظیم می شوند. و سپس صفحات تحتانی ضربه گیرها در موقعیت خود ثابت می شوند.
- ۳- چارچوب فلزی پیش ساخته(شامل غلتک های فولادی نصب شده بالای صفحات تحتانی ضربه گیر)

۴- فنرها در صفحات تحتانی قرار می گیرند و توسط يك کاور پوشانده می شوند که به چارچوب متالیک فوقانی پیچ شده اند.

۵- قسمت فوقانی فونداسیون (چارچوب فلزی) به وسیله ي پیچ تنظیم کننده متعادل و متوازن می شود. جرمی سنگین وزن در بالای فنرها مورد نیاز است.

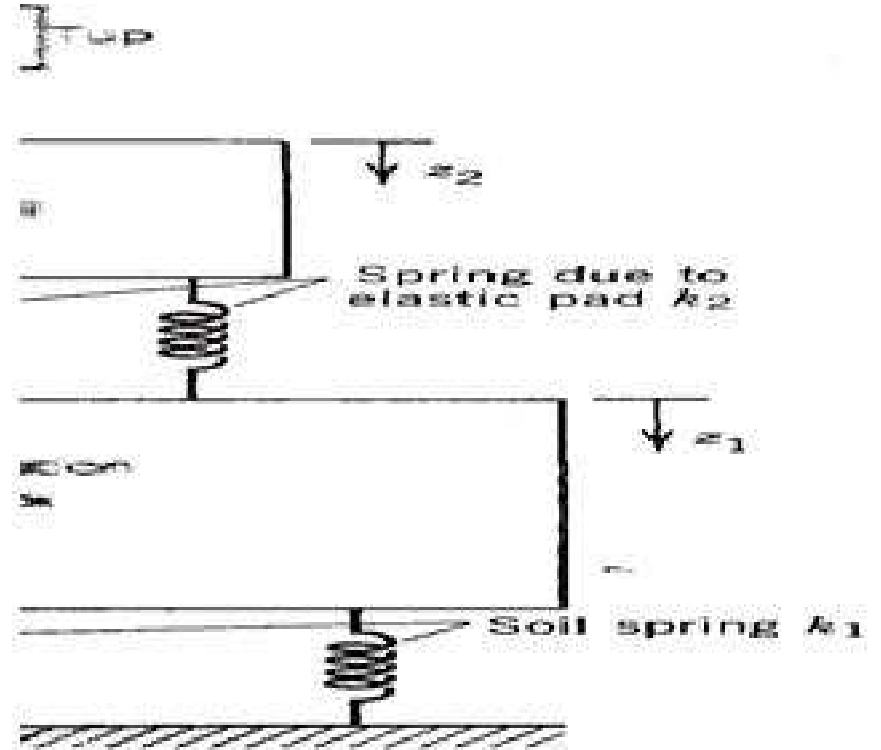


بوسیله فرضهای زیر می توان محاسبات را ساده نمود:

- ۱- سندان ، بلوک فنداسیون ، چارچوب و tub صلب هستند.
- ۲- لایه ها و خاک می توانند به وسیله فنر شبیه سازی شوند.
- ۳- دمپینگ لایه و خاک قابل صرف نظر کردن است.
- ۴- زمان برخورد در مقایسه با ارتعاش سیستم کوتاه است.
- ۵- اثر فرو رفتن قابل اغماض است.

ANALYSIS

- m_1 = جرم فونداسیون و شامل جرم چارچوب (در صورت نصب)
- m_2 = جرم سندان (شامل جرم نصب شده روی سندان است)
- k_1 = فنر معادل لایه زیرین فونداسیون
- k_2 = فنر معادل لایه زیرین سندان
- Z_1 = جابجایی فونداسیون
- Z_2 = جابجایی سندان



$$m_1 \ddot{z}_1 + k_1 z_1 + k_2 (z_1 - z_2) = 0 \quad (2.95c)$$

$$m_2 \ddot{z}_2 + k_2 (z_2 - z_1) = 0 \quad (2.95b)$$

- مقادیر فنرهای معادل k_1 از روش الاستیک بدست می آید. (ریچارد ویتمن ۱۹۶۷) ویا از روش فنری خطی که متد الاستیک معادله عبارتست از:

$$k_1 = k_z = \frac{4Gr_0}{(1-\nu)}$$

- مقادیر از روش فنری خطی از معادله فوق به دست می آید:

$$k_1 = C_{11}A_1$$

- A_1 مساحت بلوک پایه در تماس با k_2 است.

- که k_2 از معادله زیر بدست می آید:

$$k_2 = \frac{E}{b} A_2$$

- که E مدول یانگ برای لایه است. و b ضخامت لایه و A_2 مساحت بستر سندان در تماس با لایه است.

فرکانس های طبیعی:

■ دو فرکانس ω_{n1} و ω_{n2} از ارتعاشات از معادله زیر تعیین می شوند:

$$\omega_n^4 - (1 + \mu)(\omega_{nl_1}^2 + \omega_{nl_2}^2)\omega_n^2 + (1 + \mu)\omega_{nl_1}^2\omega_{nl_2}^2 = 0$$

■ که نهایتاً با توجه به روابط صفحه بعد به فرمول های زیر می رسیم:

$$z_2 = \frac{V_a}{(\omega_{n1}^2 - \omega_{n2}^2)} \left\{ \frac{(\omega_{nl_2}^2 - \omega_{n2}^2) \sin \omega_{n1} t}{\omega_{n1}} - \frac{(\omega_{nl_2}^2 - \omega_{n1}^2) t}{\omega_{n2}} \right\}$$

$$z_1 = \frac{(\omega_{nl_2}^2 - \omega_{n1}^2)(\omega_{nl_2}^2 - \omega_{n2}^2)}{\omega_{nl_2}^2(\omega_{n1}^2 - \omega_{n2}^2)\omega_{n2}} V_a$$

$$z_2 = \frac{(\omega_{nl_2}^2 - \omega_{n1}^2)V_a}{(\omega_{n1}^2 - \omega_{n2}^2)\omega_{n2}}$$

unit natural frequency of the anvil and foundation resting on a rigid soil (assuming the anvil is rigidly attached to the foundation).

unit natural frequency of the anvil vibrating on the elastic soil through the springs, and

$$\mu = \frac{m_2}{m_1}$$

where ω_{nl1} and ω_{nl2} may be calculated as

$$\omega_{nl1} = \sqrt{\frac{k_1}{m_1 + m_2}} \quad (2.99a)$$

$$\omega_{nl2} = \sqrt{\frac{k_2}{m_2}} \quad (2.99b)$$

Anvil and Foundation Motion

The displacement of anvil and foundation vibration may be computed by treating the free vibrations of the anvil–foundation soil system as being initiated by the initial velocity imparted to the anvil by the impact of the ram head piece being forged.

The general solutions for amplitudes of vibration may be obtained by using the boundary conditions and z_2 as follows:

$$z_1 = C_1 \sin \omega_{n1}t + C_2 \sin \omega_{n2}t \quad (7.2a)$$

$$z_2 = D_1 \sin \omega_{n1}t + D_2 \sin \omega_{n2}t \quad (7.2b)$$

The boundary conditions of vibration may be expressed by using Eq. (7.3). At

$$z_1 = z_2 = 0 \quad (7.3a)$$

$$\dot{z}_1 = 0 \quad \text{and} \quad \dot{z}_2 = V_a \quad (7.3b)$$

where V_a is the initial velocity of anvil motion. By substituting z_1 and z_2 into Eqs. (2.95b and c) and using the initial conditions given in Eqs. (7.3), the expressions for z_1 and z_2 are obtained Eq. (7.4):

$$z_1 = \frac{(\omega_{nl2}^2 - \omega_{n1}^2)(\omega_{nl2}^2 - \omega_{n2}^2)}{\omega_{nl2}^2(\omega_{n1}^2 - \omega_{n2}^2)} \left(\frac{\sin \omega_{n1}t}{\omega_{n1}} - \frac{\sin \omega_{n2}t}{\omega_{n2}} \right) V_a \quad (7.4a)$$

سرعت و شتاب اولیه سندان در زمان اصابت ضربه:

- برای یک چکش تک کاره ، سرعت اولیه در زمان اصابت ضربه پس از رها شدن سندان عبارتست از :

$$V_{Ti} = \eta \sqrt{2gh}$$

- که h افتادن tup در مقیاس متر است و g شتاب جاذبه زمین و η بازده و راندمان با توجه به ازدست رفتن انرژی در جذب نیروی اصطکاک و مقاومت فشار هوا و یا بخار است

$$V_{Ti} = \eta \sqrt{2g \frac{(W_o + pA_p)h}{W_o}}$$

- W_o وزن ناخالص بخشهایی در حال سقوط است.

- P فشار هوا و یا گاز

- A_p مساحت پیستون شبکه است.

of Anvil Motion V_a

Velocity of the anvil just after the tup's impact can be determined by law of conservation of momentum. The impact of the tup on the anvil can be central or eccentric (Fig. 7.5). In cases of central impact, the velocity V_a may be computed by assuming that the impact takes place in a vertical plane through the centroid of the foundation. The impact will result only in translational vibrations in the vertical direction. Only linear momentum need be considered. The momentum of the tup before impact is $(W_o/g)V_{Ti}$. The anvil is initially at rest, and its momentum before impact is zero. The momentum of the tup and anvil after impact can be written by

$$\frac{W_o}{g} V_1 + \frac{W_2}{g} V_a$$

where V_1 is the velocity of the tup after impact, W_2 the weight of the anvil (including the frame if it is mounted on the anvil), and V_a the velocity of the anvil after impact. According to the principle of impact, the momentum before and after the impact in a conservative system is constant. Therefore,

$$\frac{W_o}{g} V_{Ti} = \frac{W_o}{g} V_1 + \frac{W_2}{g} V_a \quad (7.8)$$

Equation (7.8) has two unknowns, V_1 and V_a . A second equation may be

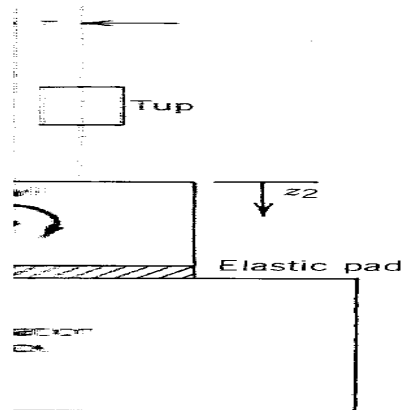


Figure 7.5. Model for calculating initial velocity of anvil for the case of eccentric impact.

با استفاده از قانون نیوتن ضریب ارتجاع e از معادله زیر تعریف می شود:

$$e = \frac{\text{relative velocity after impact}}{\text{relative velocity before impact}}$$

- ضریب ارتجاع الاستیک بستگی به سرعت اجسام در هنگام اصابت دارد. ضریب ارتجاع میان دو جسم هم اندازه یک است.
- وقتی یک جسم صلب به یک جسم پلاستیکی برخورد می کند e صفر است. در این صورت دامنه e بین یک و صفر می باشد.
- ضریب ارتجاع با معادله زیر افزایش می یابد:

$$e = \frac{V_a - V_1}{V_{T1}}$$

$$V_a = \frac{1 + e}{1 + s} V_{T1}$$

- V_a از معادله زیر بدست می آید:

■ که :

$$s = \frac{W_2}{W_o} = \frac{m_2}{m_o}$$

■ m_o = جرم قطعات در حال رها شدن است.

- اگر ضربه چکش روی مرکز سندان نباشد در حرکت طولی و در مسیر عمودی ، سندان دارای دوران خواهد شد که از طریق مرکز ثقل سندان عبور می کند. به علاوه نیروی حرکت آبی چکش و سندان نیز در شرایط گریز از مرکز از این معادله بدست می آید:

$$\frac{W_o}{g} V_{Ti} r = \frac{W_o}{g} V_1 r + M_{m2} \dot{\phi}_a$$

- که r گریز از مرکز و M_{m2} گشتاور جرم چکش در اطراف محور چرخش $\dot{\phi}_a$ سرعت اولیه سندان است.
- که خواهیم داشت:

$$e = \frac{(V_a + r\dot{\phi}_a - V_1)}{V_{Ti}}$$

at impact, it is $V_a + r\dot{\phi}_a - V_1$. By applying Eq. (7.9), we obtain

$$e = \frac{(V_a + r\dot{\phi}_a - V_1)}{V_{Ti}} \quad (7.13)$$

and (7.12), and (7.13), the values of V_a and $\dot{\phi}_a$ are obtained as

$$V_a = \frac{(1+e)k^2}{(1+s)(r^2+k^2) - r^2} V_{Ti} \quad (7.14a)$$

$$\dot{\phi}_a = \frac{s(1+e)r}{(1+s)(r^2+k^2) - r^2} V_{Ti} \quad (7.14b)$$

equal to $M_{m2}g/W_o$. When r is zero, i.e., for central impact, and (7.14b) yield

$$V_a = \frac{(1+e)}{1+s} V_{Ti}$$

and for V_a is the same as in Eq. (7.11a).

and

compressive stress in the elastic pad below the anvil depends on the relative displacements of anvil and the foundation block. The maximum compression in the pad develops when the anvil moves downward at the same instant of time, the foundation block moves upward. The maximum compressive stress in the pad is thus expressed by

$$\sigma_p = k_2 \frac{Z_1 + Z_2}{A_2} \quad (7.15)$$

Force Transmitted by the Foundation

The force F_{dyn} transmitted to the soil is given by

$$F_{dyn} = k_1 Z_1 \quad (7.16)$$

Soil

The stress transmitted to the soil σ through the combined static and dynamic load is expressed by

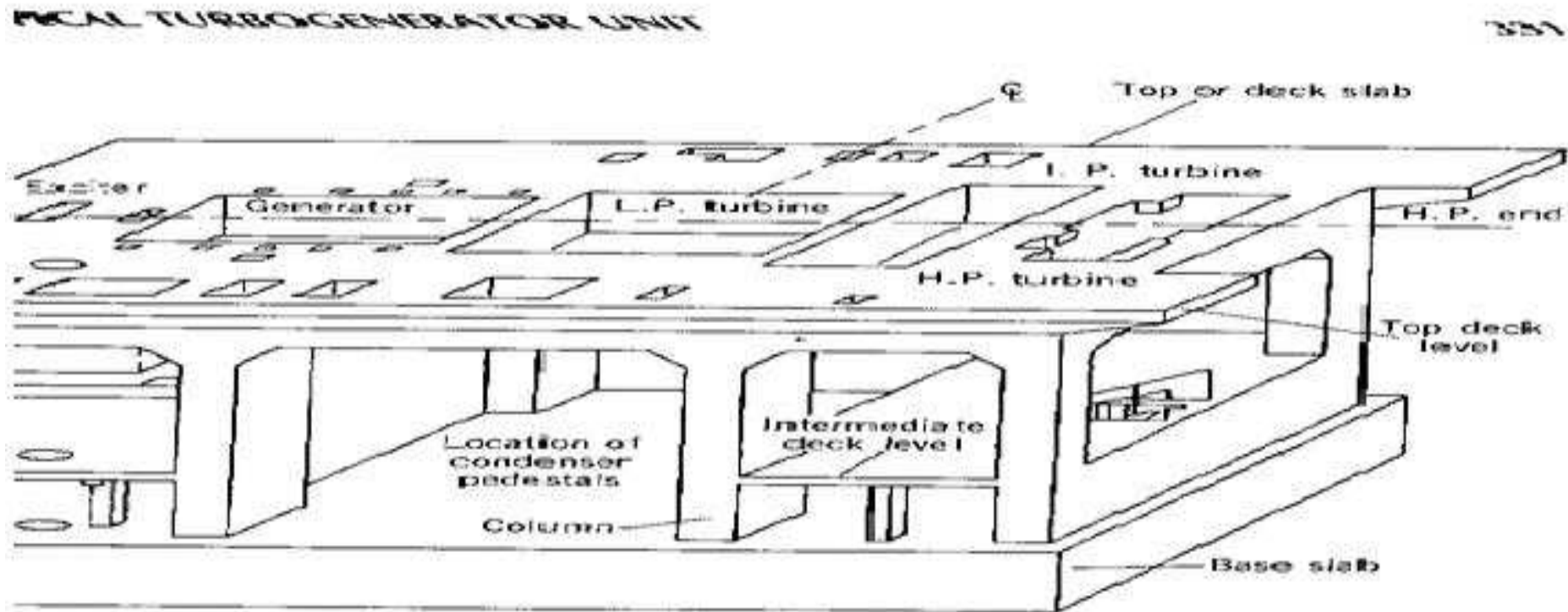
$$\sigma = \frac{W_1 + W_2 + Z_1 K_1 A}{A_1} \quad (7.17)$$

Chapter 4 :

foundations for high-speed rotary machines

8.2 بارهاي روي توربوژنراتورها:

- در طی سرویس های دستگاههای برقی ، فونداسیون T.G (توربوژنراتور) دارای انواع مختلفی از نیروها و بارها است.



1. Isometric view of a typical turbo-generator frame foundation.

طراحی توربوژنراتور از نقطه نظر ماهیت بارهای تحت تاثیر فونداسیون را می توان این گونه تقسیم بندی کرد:

۱- بارهای ناشی از عملکرد طبیعی و نرمال دستگاه

۲- بارهای ناشی از شرایط اضطراری و فوری

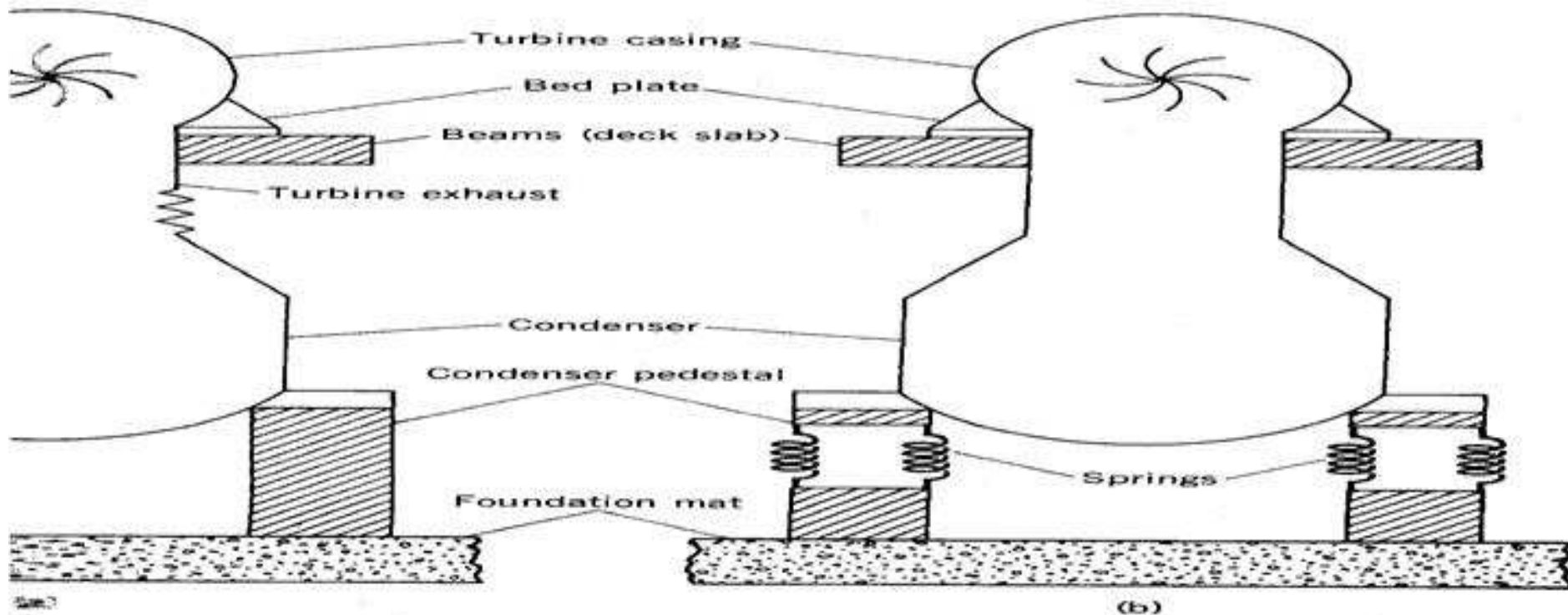


Fig. 1.1. Arrangement of supporting condensers: (a) condenser on rigid supports; (b) condenser on ring supports.

8.2 بارهاي ناشي از عملکرد نرمال دستگاه:

- ۱- بار ساکن
- ۲- بار پویا
- ۳- بارهاي متراکم
- ۴- بارهاي حرارتي
- ۵- بارهاي لوله (pipe)
- ۶- بارهاي نامتعادل ناشي از دستگاه
- ۷- بارهاي گشتاور

When the condenser rests directly on the rigid supports, the weight of the condenser unit is transferred to the foundation. If springs are provided between the condenser and the base mat, the load is transferred partly to the base mat and partly to the deck. The stiffness of the base slab and the deck determines the proportion in which the load is shared. The stiffness of the springs may be determined by the manufacturer of the turbine or condenser.

Loads Due to Vacuum in Condenser. The pressure on the outside of the condenser is atmospheric and the pressure in the condenser is below atmospheric pressure. The differential pressure between the turbine and the condenser results in a suction or a vacuum load transferred through turbine base plates. The magnitude of the vacuum load is significantly large and may be several times the weight of the condenser. It is considered as a distributed load along edges of supporting plates, which results in localized stress concentration and torsion. The area of this vacuum load acts is the area of the opening (joint) between the condenser to the turbine outlet. The condenser vacuum load is calculated using Eq. (8.1):

$$P_v = A(p_a - p_c)$$

in which

P_v = condenser vacuum load

A = area of joint opening between the turbine and condenser

p_a = atmospheric pressure

p_c = vacuum pressure

The pressure in the condenser is below the atmospheric pressure amount ($p_a - p_c$), which represents depression in the condenser.

The information on condenser vacuum load is furnished by the manufacturer of the turbine.

Thermal Loads

The heat emitted by pipes carrying superheated steam, turbine or hot gases through the turbines and operation of the machinery cause rise to temperature changes that result in temperature gradients in the foundation components causing additional stresses on them. The shaft heats up, the shaft expands. The shaft is supported on a sliding bearing permitting its free sliding in the longitudinal direction and stresses are induced due to expansion of the shaft. The thermal expansion of concrete is low compared to that of steel and therefore the differential temperatures of turbine and generator result in local displacements.

crete. Heat buildup in turbine casing and bed plates induces expansion on the foundation. The expansion of the casing and bed plate relative to the concrete deck results in frictional loads that are internally balanced (resulting in local effects but no net force).

To estimate precisely the magnitude and direction of thermal loads, they depend on a number of factors, such as the distance between joints where bed plates are held down with anchor bolts, the coefficient of friction between the bed plates and concrete, and the load on the bed plate. The estimate of the thermal load may be made by using Eq. (8.2)

$$F_T = \mu P \tag{8.2}$$

Frictional Load

The coefficient of friction between material of bed plate and material of concrete is 0.25.

Loads due to machine, condenser, pipes, and normal torque are considered.

Differential temperature changes are generally taken into account by considering differential temperatures between the upper and the lower slabs of the inner and the outer faces of the deck slab as specified by the manufacturer. The deck slab is considered as a horizontal frame and the loads due to differential temperature are accounted for. Consideration should also be given to change in direction of thermal loads if the machine is shut down.

Load includes self weight of pipe, dynamic effect of fluids in pipes, and thermal effects. The magnitude of pipe load and its distribution on the deck depend upon pipe material, size, insulation, and layout. The magnitude of pipe load is specified by the manufacturer.

Loads Due to Machine

Generator rotors are well-balanced equipment. The unbalance is checked and corrected or minimized during test runs by using a rototype on specially designed test or balancing beds. The unbalance is ascertained by monitoring the vibration amplitudes at various points. The unbalance is specified as the distance between the axis of rotation and the mass center of gravity of the rotor, and is known as effective unbalance. The operation of the machine causes unbalanced forces that

depend upon speed of rotation. The magnitude of unbalanced moments can be calculated using Eqs. (5.38) and (5.39). The pulsating loads are transferred to the foundation through the shaft. The T.G. manufacturers provide information about unbalanced moments should be used in the design of the foundation under normal conditions. In designing a T.G. foundation, most unfavorable of unbalanced dynamic loads should be used.

Torque Loads

The torque considered here is different from that due to unbalance (moments due to machine operation). Forces due to steam in the turbine casing impose a torque on the stationary turbine casing opposite to the direction of rotation of the rotor. The normal torque generator stator acts in the direction of rotor rotation. The magnitude of this torque depends upon the operational speed and power output of the turbines. The turbine manufacturers provide the information of this torque. This torque is applied to the machine bed plates.

For a T.G. unit having a multistage turbine Fig. 8.3, the torque is calculated as follows:

$$T_A = \frac{10.48 P_A}{N} \text{ t m}$$

$$T_B = \frac{10.48(P_B - P_A)}{N} \text{ t m}$$

$$T_C = \frac{10.48(P_C - P_B)}{N} \text{ t m}$$

$$T_g = \frac{10.48(P_g)}{N} \text{ t m}$$

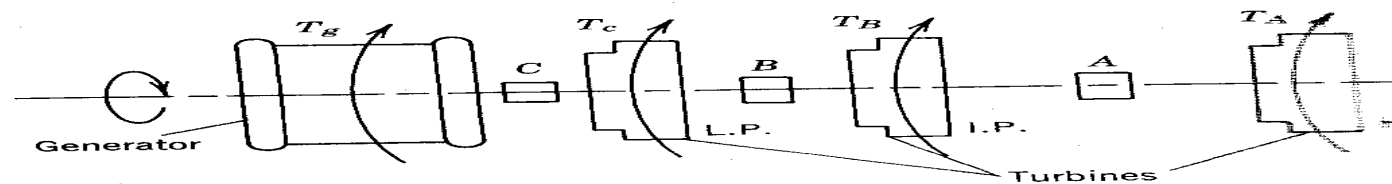


Figure 8.3. Torque due to normal operation of a multistage turbine generator unit.

با تشکر از حسن توجه شما